

Efficient Query Containment Checking Using Logical Reasoning Engines

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Historical perspective

- Query completeness problem has roots in the development of school system in Bolzano.
- Central school database is needed for administration, final grades, statistical reports etc.
- Teachers and administrators have only local records.

Settings

- People involved:
 - the KRDB group in Bolzano
 - the KBS group in Vienna
- Bolzano: developed theory of query completeness
- Vienna: developed a powerful disjunctive datalog engine (DLV)
- shortcoming of current theory lack of implementations
- Our goal: put theory into practise.

Query Completeness

- What does it mean for a query to be complete?
- Intuitively it captures in the answer all tuples.
- Could you imagine that EMCL administration is missing your personal record?
- Now we can verify that everything is in the right place!¹

¹"Beware! I have only proved it correct, not tried it." Donald Knuth

Formalization [Motro 89]

Definition (Partial Database)

A partial database is a pair $D = (D^i, D^a)$ of two instances,

- the ideal database D^i
- the available database D^a

such that $D^a \subseteq D^i$

Intuition:

- D^i reflects real world, what is really true
- D^a reflects data we physically store

Note (We make validity assumption)

there is no "wrong" data in the available database.

Partial Database Example

- $D = (D^a, D^i)$
is partial database with two students (Oliver & Wu)
in two different classes (2b & 2a).
- **Ideal** Database $D^i = \{$
 $Student(Oliver, "EMCL"), Class(Oliver, 2, b),$
 $Student(Wu, "ICCL"), Class(Wu, 2, a)\}$
- **Available** Database $D^a = D^i \setminus Class(Oliver, 2, a)$

Note

Available database is missing the fact that Oliver is a second year student.

Formalism. Completeness

What does it mean for a query Q to be complete?

Definition

Q is said to be complete written as $Compl(Q)$:

$$(D^i, D^a) \models Compl(Q) \quad \text{iff} \quad Q(D^i) = Q(D^a)$$

Intuition: a query Q is complete if query evaluation over available database is the same as over ideal one.

Completeness Statements [Levy 96]

Peter confirmed:

*"Workshop database contains all 2 year students"*²

We formalize this as a **table completeness statement**:

$$Student^i(N, M), Class^i(N, 2, C) \rightarrow Student^a(N, M)$$

or shortly **Compl(student(N,M) ; class(N,2,C))**

General notation:

$$Compl(R(\bar{s}); G)$$

where query $Q(\bar{s}) = R(\bar{s})$, G is safe

²It is actually not true, right Martin?

TC-QC

Main question in the project how to implement the problem:

When completeness of small parts of the database entail completeness of the query?

Formally:

TC-QC: table completeness entails query completeness

$$\text{Compl}(R_1, G_1), \dots, \text{Compl}(R_n, G_n) \models \text{Compl}(Q)$$

Example

All students in Dresden, Vienna, Bolzano and Lisbon are good, does it mean that all ECML students are good?

Query Containment

- Definition (Query Containment: Q_1 is contained in Q_2 written as: $Q_1 \subseteq Q_2$)

$$Q_1(D) \subseteq Q_2(D) \quad \forall D - \text{db instances}$$

- Studied for conjunctive queries (**CQ**).
 - Correspond to single-block select-from-where SQL query
 - Query that ask for good EMCL students:

$$Q(\text{Name}) \leftarrow \text{Student}(\text{Name}, "EMCL"), \text{Good}(\text{Name}).$$

- Extensions: CQs with comparisons($\geq, >$), finite domains, unions of CQs.
- Complexity: from NP to Π_2^P .³

³Free Complexity Class tonight in the pub

Containment example

Given two queries Q_1 and Q_2

$Q_1(\text{Name}) \leftarrow \text{Student}(\text{Name}, "EMCL"), \text{Good}(\text{Name}).$

$Q_2(\text{Name}) \leftarrow \text{Student}(\text{Name}, "EMCL").$

$Q_1 \subseteq Q_2 \quad ?$

The question whether all good EMCL student are among EMCL student?

And the answer is, of course, yes.

Opposite does not hold:

It is hard to believe but there might exist not good EMCL students.

Algorithm for the TC-QC

- TC-QC problem can be reduced to the variants of query containment.

Intuition:

- Query needs parts $\{P_i\}$ of the relation R_i to be complete
- Is P_i contained in the parts S_1, \dots, S_n stated to be complete?

so containment:

$$P_i \subseteq S_1 \cup S_2 \cup \dots \cup S_n$$

- Query containment can be reduced to evaluation task of different reasoning engines.

Implementation

Query containment can be in principle reduced to the

- ASP: done in DLV for Relational Case
- SMT: partially studied for comparisons in Z3.
- QBF: alternative approach in the future.

Future Work

- Investigate different faces of the problem e.g. finite domain constraint (now in progress)
- Develop different implementations: SMT, DLV, ASP+Difference logic, QBF.
- Create a uniform benchmark for different classes of languages(RQ,LQ,CQ,UCQ)

Evaluation of the project

A detailed report with complete results is going to be submitted to ESLLI 2012 as an article and a poster.

Questions time

<joke>

- **Sir Humphrey:** If local authorities don't send us statistics, Government figures will be a nonsense.
- **Hacker:** Why?
- **Sir Humphrey:** They'll be incomplete.
- **Hacker:** Government figures are a nonsense, anyway.
- **Bernard:** I think Sir Humphrey wants to ensure they're a complete nonsense.

</joke>

Thank you for your attention.