

EMCL @ Institute of Information Systems

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Institute of Information Systems

- Distributed Systems Group (DSG)
- **Databases and Artificial Intelligence Group (DBAI)**
- **Knowledge Based Systems Group (KBS)**
- **Formal Methods in Systems Engineering (FORSYTE)**
- Parallel Computing

Databases and Artificial Intelligence Group (DBAI)



<http://www.dbai.tuwien.ac.at/>

R. Pichler, S. Woltran , G. Gottlob (U Oxford)

- Foundations of databases
- Semistructured data
- Advanced database systems
- Computational logic and complexity
- Knowledge Representation and Reasoning (e.g. logic-based argumentation systems)

Formal Methods in Systems Engineering



`http://www.forsyte.tuwien.ac.at`

H. Veith

- Formal Methods for Embedded Systems
- Model Checking and Constraint Solving
- Automata, Logic, and Complexity

Knowledge Based Systems Group (KBS)



<http://www.kr.tuwien.ac.at/>

U. Egly, T. Eiter, S. Szeider, H. Tompits

- Knowledge representation and reasoning
- Computational logic and complexity
- Declarative problem solving
- Discrete Reasoning Methods
- Intelligent agents
- Mobile robots
- Knowledge-based systems in engineering

Work @ TU Vienna.KBS

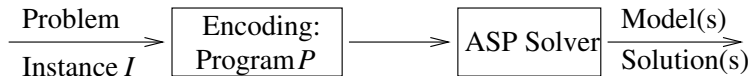
- There are several more specific research topics available in the groups
- Listing them all would be exhausting (visit the webpages!)
- In the KBS groups, some major topics are:
 - Answer Set Programming
 - Contextual Reasoning
 - Reasoning in Ontologies
 - SAT/QBF Solving, CSP
- Projects in these areas offer the opportunity of student projects/theses
- Limited funds for student grants are available

Topic 1: Answer Set Programming (ASP)

A recent *declarative problem solving method*

General idea

Reduce solving of a problem I to computing models of a logic program / SAT theory



- 1 **Encode** I as a (non-monotonic) logic program P , such that solutions of I are represented by models of P
- 2 **Compute** some model M of P , using an ASP solver
- 3 **Extract** some solution for I from M .

Example: Graph 3-Coloring

Color all nodes of a graph with colors r, g, b such that adjacent nodes have different color.

Problem specification P_{PS}

$$\begin{array}{l}
 g(X) \vee r(X) \vee b(X) \leftarrow node(X) \\
 \left. \begin{array}{l}
 \leftarrow b(X), b(Y), edge(X, Y) \\
 \leftarrow r(X), r(Y), edge(X, Y) \\
 \leftarrow g(X), g(Y), edge(X, Y)
 \end{array} \right\} \text{Check}
 \end{array}
 \left. \vphantom{\begin{array}{l}
 g(X) \vee r(X) \vee b(X) \leftarrow node(X) \\
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 \end{array}} \right\} \text{Guess}$$

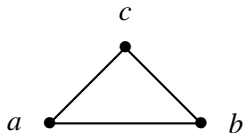
Data P_D : Graph $G = (V, E)$

$$P_D = \{node(v) \mid v \in V\} \cup \{edge(v, w) \mid (v, w) \in E\}.$$

3-colorings \Leftrightarrow models:

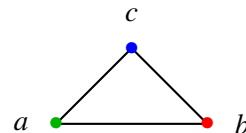
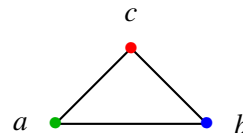
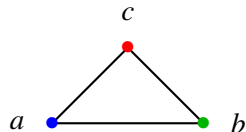
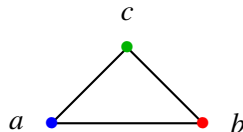
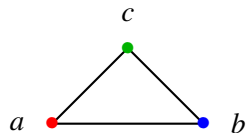
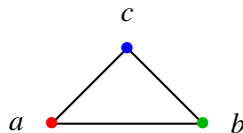
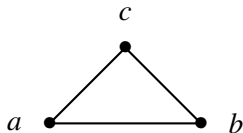
$v \in V$ has color $c \in \{r, g, b\}$ iff $c(v)$ is in the corr. model of $P_{PS} \cup P_D$.

Example: 3-Coloring (ctd.)



$$P_D = \{node(a), node(b), \\ node(c), edge(a, b), \\ edge(b, c), edge(a, c)\}$$

Example: 3-Coloring (ctd.)



$$P_D = \{node(a), node(b), node(c), edge(a, b), edge(b, c), edge(a, c)\}$$

ASP Applications

Problems in many domains, see

<http://www.kr.tuwien.ac.at/projects/WASP/report.html>

- configuration
- planning, routing
- diagnosis (E.g., Space shuttle reaction control)
- security analysis
- verification
- bioinformatics
- knowledge management
- combinatorics
- ...

ASP Showcase:

<http://www.kr.tuwien.ac.at/projects/WASP/showcase.html>

The DLV System (TU Vienna / UNICAL)

<http://www.dbai.tuwien.ac.at/proj/dlv/>

- DLV is a state-of-the-art disjunctive answer set solver (ASP competitions 2007/09)
- Based on strong theoretical foundations
- Features non-monotonic negation and disjunction

$$\begin{aligned} & \text{works}(X) : - \text{component}(X), \text{not broken}(X). \\ & \text{male}(X) \vee \text{female}(X) : - \text{person}(X). \end{aligned}$$

- Rich program syntax (\Rightarrow **high expressiveness**)
- Front-ends for specific problems (diagnosis, planning, etc.).
- Many extensions: DLVHEX, DLV^{DB}, DLT, DLV-Complex, dl-programs, . . . ,

Ongoing Work

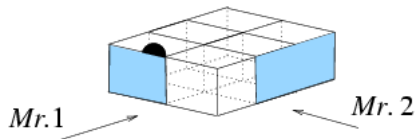
- Software Engineering for ASP
Tools, debugging, methodologies (Hans Tompits, FWF)
- Modular logic programs
Systems of logics programs / modular composition (FWF)
- Logic Programming with External Source Access (FWF)
- MyITS: Intelligent Travel Planning (FFG)
- Hybrid knowledge bases
Combine ASP rules and ontologies (FP7 IP Ontorule, FWF)

Theory, prototypes, applications

With U Potsdam (T. Schaub), UNICAL (N.Leone, G.Ianni), international companies (ILOG/IBM;Ontoprise, etc), E. Erdem (Sabanci U), SIEMENS (A. Polleres), local industry,

Topic 2: Contextual Reasoning

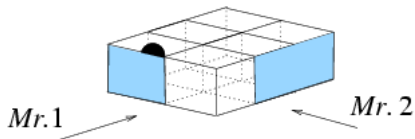
Magic Box



- J. McCarthy: How to interrelate contexts?

Topic 2: Contextual Reasoning

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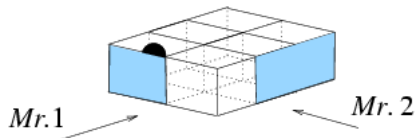


- J. McCarthy: How to interrelate contexts?
- Trento School (Giunchiglia, Serafini et al.)
Bridge rules for information exchange

$$Mr.1 : \text{row}(X) \leftarrow (Mr.2, \text{sees_row}(X))$$
$$Mr.2 : \text{col}(Y) \leftarrow (Mr.1, \text{sees_col}(Y))$$

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- Brewka & E_: *Nonmonotonic Multi Context Systems* (MCS)

Nonmonotonic Multi-Context Systems (MCS)

$$M = (C_1, \dots, C_n)$$

consists of contexts

$$C_i = (L_i, kb_i, br_i), i = 1, \dots, n,$$

where

- each L_i is an (abstract) “logic,”
 - each $kb_i \in \mathbf{KB}_i$ is a knowledge base in L_i , and
 - each br_i is a set of bridge rules (possibly with negation)
-
- Captures many popular logics L_i , e.g. description logics, modal logics, temporal logics, default logics, logic programs
 - Semantics in terms of *equilibria*, which are stable states $S = (S_1, \dots, S_n)$ of M evaluating the kb_i and br_i

Example

Suppose a MCS $M = (C_1, C_2)$ has two contexts, expressing the individual views of a paper by its authors.

■ C_1 :

- $L_1 = \text{Classical Logic}$
- $kb_1 = \{ \text{unhappy} \supset \text{revision} \}$
- $br_1 = \{ \text{unhappy} \leftarrow (2 : \text{work}) \}$

■ C_2 :

- $L_2 = \text{Default Logic (R.Reiter)}$
- $kb_2 = \{ \text{good} : \text{accepted/accepted} \}$
- $br_2 = \{ \text{work} \leftarrow (1 : \text{revision}), \text{good} \leftarrow \text{not}(1 : \text{unhappy}) \}$

M has two equilibria:

- $E_1 = (Cn(\{\text{unhappy}, \text{revision}\}), Cn(\{\text{work}\}))$ and
- $E_2 = (Cn(\{\text{unhappy} \supset \text{revision}\}), Cn(\{\text{good}, \text{accepted}\}))$

MCS Aspects

- Fixpoint characterizations (under operational semantics)

- Relationship to game-theoretic concepts (e.g., Nash-equilibria of particular games, sometimes)

- A rich framework for interlinking heterogeneous knowledge systems
 - Databases, knowledge bases
 - Argumentation systems

- Potential for Applications in Social Aggregation

MCS – Ongoing work

- Project *Inconsistency Management for Knowledge-Integration Systems* (WWTF, M. Fink)
 - a general formalism and a suite of basic methods for inconsistency management in MCS,
 - algorithms for their practical realization.
- Distributed MCS
 - consistency
 - query answering
- Stream Processing
- Generalizations of MCS (e.g., Managed MCS)

With DERI Galway (M. Hauswirth, A. Polleres), U Leipzig (G.Brewka), UNICAL (N.Leone, G.Ianni), EPFL (CH. Koch)

Topic 3: Reasoning in Ontologies

- Formal ontologies serve for making conceptual models of domains (human anatomy, airplanes, products,)
- *Description Logics* are the premier logic-based formalism for ontology representation.
- They model *concepts* (classes of objects) and *roles* (binary relations between objects).
- A *DL knowledge base* comprises a *taxonomy part* (*T-Box*) and *assertions* (*A-Box*, facts).

Example: Genealogy

$$\begin{aligned}
 \text{T-Box} &= \left\{ \begin{array}{l} \textit{Person} \equiv \textit{Female} \sqcup \textit{Male}, \\ \textit{Parent} \equiv \exists \textit{hasChild}.\textit{Person}, \\ \textit{HasNoSons} \equiv \textit{Parent} \sqcap \forall \textit{hasChild}.\textit{Female} \end{array} \right\} \\
 \text{A-Box} &= \{ \textit{Parent}(\textit{Mary}), \textit{hasChild}(\textit{Tom}, \textit{Jen}), \textit{Female}(\textit{Jen}) \}
 \end{aligned}$$

Semantics

- Semantically, many core DLs are decidable fragments of first-order predicate logic (FOL)
- The semantics of a KB may be given by a transformation to FOL

	Syntax	Semantics (FOL-translation)
negation	$\neg C$	$\neg C(x)$
conjunction	$C_1 \sqcap C_2$	$C_1(x) \wedge C_2(x)$
disjunction	$C_1 \sqcup C_2$	$C_1(x) \vee C_2(x)$
universal quant.	$\forall r.C$	$\forall y.r(x, y) \rightarrow C(y)$
existential quant.	$\exists r.C$	$\exists y.r(x, y) \wedge C(y)$

- Additional constructors, e.g.,

Qualified number	$\leq n r.C$	$\exists^{\geq n} y.r(x, y) \wedge C(y)$
restrictions (\mathcal{Q})	$\geq n r.C$	$\exists^{\leq n} y.r(x, y) \wedge C(y)$
Inverse roles (\mathcal{I})	r^-	$r^-(x, y) \equiv r(y, x)$

- Optionally, axioms for roles, e.g.,

Role hierarchies (\mathcal{H})	$r \sqsubseteq r'$	$\forall x, y.r(x, y) \rightarrow r'(x, y)$
Transitivity	$\text{Trans}(r)$	$\forall x, y, z.r(x, y) \wedge r(y, z) \rightarrow r(x, z)$

A large family of DLs exists: \mathcal{ALC} , \mathcal{SH} , \mathcal{SHIQ} , \mathcal{SROIQ} , ...

Reasoning Tasks

- Traditional reasoning tasks:
 - testing satisfiability: Is the KB logically consistent?
 - concept subsumption: Are all males persons?
 - instance checking: Is Jen a person?

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 - well-known in databases
 - allows to *join pieces* of information

Example: Females (x) who have brothers

$Female(x), hasChild(y, x), hasChild(y, z), Male(z)$

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- Not (efficiently) reducible to traditional tasks in general
- **Problem:** develop (*worst-case*) *optimal algorithms* for CQA in relevant DLs
Requires to characterize the *computational complexity* of CQA

Ongoing Work

- Reasoning in Hybrid Knowledge Bases (FWF P20840)
 - Combine ASP rules and ontologies
 - Conjunctive Query Answering (= Select-Project-Join)
 - System Prototypes
- Inconsistency Management in Hybrid KBs
- Recursive Queries over Semantically Enriched Data Repositories (Ortiz, FWF)
 - Queries extending SPJ with limited recursion

Theory, algorithms, prototypes (e.g., DREWEL, KAOS), applications

With U Bremen (C.Lutz), U Bolzano (D.Calvanese), U Oxford (G.Gottlob), KIT (S. Rudolph) etc

Logic

A logic L is a tuple $L = (\mathbf{KB}_L, \mathbf{BS}_L, \mathbf{ACC}_L)$, where

- \mathbf{KB}_L is a set of well-formed knowledge bases, each being a set (of formulas)
- \mathbf{BS}_L is a set of possible belief sets, each being a set (of formulas)
- $\mathbf{ACC}_L : \mathbf{KB}_L \rightarrow 2^{\mathbf{BS}_L}$ assigns each KB a set of acceptable belief sets

Thus, logic L caters for multiple extensions of a knowledge base.

Bridge Rules

A L_i -bridge rule over logics L_1, \dots, L_n , $1 \leq i \leq n$, is of the form

$$s \leftarrow (r_1 : p_1), \dots, (r_j : p_j), \text{not}(r_{j+1} : p_{j+1}), \dots, \text{not}(r_m : p_m)$$

where $kb \cup \{s\} \in \mathbf{KB}_i$ for each $kb \in \mathbf{KB}_i$, each $r_k \in \{1, \dots, n\}$, and each p_k is in some belief set of L_{r_k} .

Note: Such rules are akin to rules of normal logic programs!

Equilibrium Semantics

Belief State

A *belief state* is a sequence $S = (S_1, \dots, S_n)$ of belief sets S_i in L_i

Applicable Bridge Rules

For $M = (C_1, \dots, C_n)$ and belief state $S = (S_1, \dots, S_n)$, the bridge rule

$$s \leftarrow (r_1 : p_1), \dots, (r_j : p_j), \text{not}(r_{j+1} : p_{j+1}), \dots, \text{not}(r_m : p_m)$$

is *applicable in S* iff (1) $p_i \in S_{r_i}$, for $1 \leq i \leq j$, and (2) $p_k \notin S_{r_k}$, for $j < k \leq m$.

Equilibrium

A belief state $S = (S_1, \dots, S_n)$ of M is an equilibrium iff for all $i = 1, \dots, n$,

$$S_i \in \mathbf{ACC}_i(kb_i \cup \{\text{head}(r) \mid r \in br_i \text{ is applicable in } S\}).$$

Note: Interpretable as Nash-equilibrium of an n -player game

Example

Simple Genealogy II

$$\text{T-Box} = \left\{ \begin{array}{l} \text{Person} \equiv \text{Female} \sqcup \text{Male}, \\ \text{Parent} \equiv \exists \text{hasChild}.\text{Person}, \\ \text{HasNoSons} \equiv \text{Parent} \sqcap \forall \text{hasChild}.\text{Female} \end{array} \right\}$$

$$\text{A-Box} = \{ \exists \text{hasChild} . (\exists \text{hasChild} . \text{male} \sqcap \exists \text{hasChild} . \text{female}) (\text{Mary}) \}$$

Females (x) who have brothers

$$q = F(x), hC(y, x), hC(y, z), M(z)$$

